Classification of Reverberant Acoustic Situations

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Introduction

In daily communication, speech intelligibility depends on the acoustic surrounding or acoustic situation. Particularly for hearing impaired persons, speech understanding is often problematic if speech is distorted by (room) reverb, noise or competing talkers. Acoustic situations are characterized by different dominating types of distortion. Hearing aids might provide appropriate algorithms to enhance speech intelligibility in the different acoustic situations. A robust and fast automatic classification of the acoustic situation should therefore select the appropriate hearing aid algorithm without requiring an action of the hearing aid wearer. This study is concerned with the automatic estimation of the reverberation time ($T60$) in natural situations and with unknown excitation signal. Acoustic test situations were generated by convolving speech signals with artificial and real room impulse responses with $T60$ times ranging from 0.05 to 4 s. Features derived from the cepstral mean, the autocorrelation function and from the distribution of modulation energy were used to blindly estimate different reverb times.

Impulse Response Model

In natural environments sound is often received as a superposition of direct and reflected sound from walls or objects in a room. Direct, early reflexions arrive first at the ear and after multiple reflexions and superpositions of reflexions from many objects they are diffuse and called reverberation. The level of reflexions in a room impulse response decreases due to attenuation effects and scattering. This decay is often assumed to be nearly exponential ([1],[6]). Thus, a reverberant impulse response can be approximated by an exponentially decaying part and if measurement noise or background noise occured by a constant part [1]:

$$h(t) = A_{exp} e^{-t/\tau} n_1(t) + A_{noise} n_2(t), \qquad (1)$$

where A_{exp} und A_{noise} are scalar, τ is the decay parameter in seconds, t is the time in seconds and $n_1(t)$ and $n_2(t)$ present two independent noise processes.
A common measure for reverberation is the time until the impulse response has decreased by 60 dB. In (1), the reverberation time, $T60$, can be calculated directly from the decay parameter τ:

$$T60 = -\ln(10^{-3}) \cdot \tau \approx 6.908\ \tau. \qquad (2)$$

To calculate the $T60$ time from a measured impulse response different solutions exist. A procedure suggested in [1] is to fit the power by a least square fit. From equation (1) the instantaneous power can be derived as

$$a(t) = \sqrt{A_{exp}^2 e^{-2t/\tau} + A_{noise}^2}. \qquad (3)$$

The parameters A_{exp}, τ and A_{noise} are evaluated by a least square fit of the form

$$\min \int \left[a^s(t) - y^s(t)\right]^2 dt \qquad (4)$$

where $s = 0.5$ is a scaling factor to improve the results [1]. The $T60$ time was then calculated as stated in (2).

Blind Estimation Procedures

The goal of this study is to estimate the $T60$ time from a reverberated speech sample without having explicit information about neither the impulse response nor the underlying clean speech.
Three different methods are used in the following and their results are compared.

Cepstral Mean

To estimate the impulse response from an unknown reverberated signal there exists the theory of "blind homomorphic deconvolution" [3], [4], [5]. Here a reverberated speech signal is assumed as:

$$sir(t) = s(t) * h(t), \qquad (5)$$

where $*$ denotes the convolution product, $s(t)$ clean speech and $h(t)$ the impulse response. A Fourier transformation turns the convolution into a multiplication. The logarithm transforms this product into a sum. A further inverse Fourier transformation converts the sum into the cepstral domain where the additivity is preserved (see figure 1). If it is assumed that the cepstrum

$$s(t) * h(t) \overset{\mathcal{F}}{\rightarrow} S(f) \cdot H(f) \overset{\log}{\rightarrow} \widehat{S}(f) + \widehat{H}(f) \overset{\mathcal{F}^{-1}}{\rightarrow} \widehat{s}(q) + \widehat{h}(q)$$

Figure 1: Calculation of the cepstrum from a convoluted input signal

of the clean speech is nearly uncorrelated in adjacent windows, averaging over a few cepstra estimates the mean cepstrum of the impulse response. By inversing $h(t)$ can be derived.
To keep the inverse cepstrum stable and causal, only the minimum phase part of the deconvolved impulse response is taken [3]. The whole deconvolution scheme by cepstral mean is shown in figure 2. The $T60$ time can then be estimated from the resulting impulse response by the above mentioned least square fit.

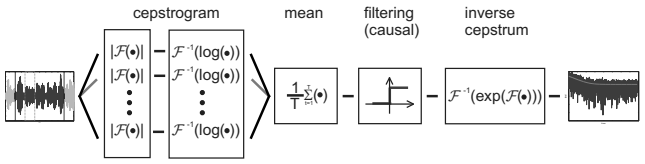

Figure 2: Blind deconvolution of reverberated speech by cepstral mean estimation of the minimum phase part of the impulse response

Autocorrelation

The autocorrelation function $R_{sir,sir}(t)$ of a reverberant signal $sir(t)$ is the convolution product of the autocorrelation functions of the underlying clean speech $s(t)$ and the room impulse response $h(t)$.

$$\begin{aligned} R_{sir,sir}(t) &= s(t) * h(t) * s(-t) * h(-t) \\ &= R_{s,s}(t) * R_{h,h}(t). \end{aligned} \quad (6)$$

If the clean speech is considered to have a peaky autocorrelation function then the following approximation is possible:

$$R_{sir,sir}(t) \approx R_{h,h}(t). \quad (7)$$

For an exponential function, the autocorrelation function for positive times has the same exponential decay parameter τ. Thus we assume the autocorrelation function of the reverberated signal to decay like the underlying impulse response. To reduce estimation errors averaging over overlapping windows was performed. From the averaged autocorrelation function the $T60$ time was estimated due to equation (4).

Speech to Reverberation modulation energy ratio (SRMR)

Typically, clean speech shows the strongest modulation energy at a modulation frequency of about 4 Hz. The distribution of modulation energy shifts to higher modulation frequencies for reverberated speech as a consequence of the whitening effect by the impulse response which is considered to be a damped gaussian white noise. The higher the reverberation time, the more modulation energy occurs at high modulation frequencies. Thus [7] suggested a comparison of energies at high and low modulation frequencies. Here, the modulation spectrogram was seperated into low and high modulation frequency regions and the ratio of the respective energies was calculated. This ratio is called SRMR (Speech to Reverberation Modulation energy Ratio).

In comparision to [7], the weighting of the high and

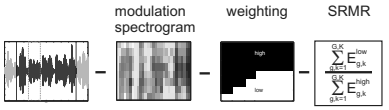

Figure 3: Algorithm for the estimation of SRMR

low modulation frequency regions was changed. Low modulation frequencies were defined to be smaller than 28.9 Hz or smaller than 10% of the corresponding bandwidth of the auditory filter.

Stimuli and Methods

To analyse the three estimation methods, clean speech material of four speaker sets sampled at 16 kHz was used: Two male, German speakers, one female, German speaker and a set of female, English speakers.

The clean speech material was reverberated by convolution with room impulse responses.

To characterize the impulse responses, the $T60$ times were estimated from the impulse responses using the method described in (4) and are referred to as real $T60$ times in the following.

For the first test setup, referred to as artifical impulse response setup (artificial IR setup), impulse responses were generated by source imaging [2] to achieve a wide range of $T60$ times with controlable spectral (white) properties. For these impulse responses a rectangular room was simulated and its size and reflexion coefficients were adjusted to produce $T60$ times ranging from 50 ms to 4 s, increasing at a factor of two. The sound source and the receiver were distributed randomly in the room and the positions differed between the impulse responses. Independent of the T60 time the length of each impulse response was 2 s with 16 kHz sampling frequency.

All reverberant speech samples were derived from the same underlying clean speech. In this paper, the results for one of the male German speakers are shown.

The second test setup, called real impulse response setup (real IR setup), consisted of real impulse responses selected from a commercial impulse response library. Three groups of $T60$ times were defined: a "dry" one (0.16 - 0.36 s) with a mean $T60 = 0.3$ s, a medium reverberated one (0.72 - 1.02 s) with a mean $T60 = 0.9$ s and a reverberant one (1.71 - 1.98 s) with a mean $T60 = 1.9$ s. Each group consisted of four impulse responses. Each of the four impulse responses of a group are convolved with different speech material from one of the four speaker sets.

To test all three features, an estimation of the $T60$ time respectively the SRMR was done every 0.5 s for a total time of 100 seconds for the artificial IR setup and 40 seconds for each speaker/impulse response of a $T60$ group for the real IR setup.

For the cepstral mean and the autocorrelation feature the window lengths were 0.05 s, 0.2 s, 0.5 s, 1 s, 2 s, 3 s, and 4 s. The overlap between two windows was 7/8 and the averaging time 5 times the window length ($\widehat{=}$ 33 windows). The first 6.3 ms ($\widehat{=}$ 100 time samples at 16 kHz sampling frequency) of the deconvolved impulse responses were skipped for the fitting.

The window length for the SRMR feature was 1 s.

Results

Cepstral Mean

The means of 200 $T60$-time estimates for the artificial IR setup are plotted in Fig. 4 (solid lines) as a function of the analysis window duration for three different real $T60$ times indicated by the dotted lines. The $T60$-time estimates depend on the analysis window duration,

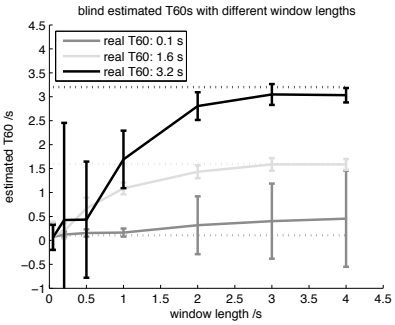

Figure 4: Cepstral mean: Means and standard deviations of 200 estimated $T60$ times per window length and impulse response of the artificial IR set up (solid lines). The dotted lines of same color represent the real $T60$ time.

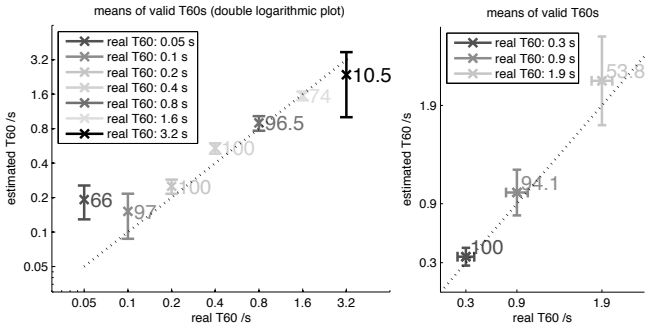

Figure 5: Cepstral mean: Means and standard deviations of valid $T60$-time estimates. The numbers indicate the percentage of the valid estimates in relation to all estimates. Left panel: artificial IR set up, 200 estimations per impulse response. Right panel: real IR set up, 320 estimations per impulse response group

starting at small values for short window durations and asymptoting against the real $T60$ times with increasing window duration. The $T60$-time curves flatten off at a window duration corresponding to about two times real $T60$ time. Since the estimates depend on the window duration, the proper window for a good $T60$-time estimation has to be chosen blindly. To do so, the algorithm suggested here successively calculates $T60$-time estimates for increasing analysis window durations. Following the slope analysis given above, the validity of the estimates is judged blindly by monitoring the differences of the $T60$-time estimates derived for two succesive analysis window durations. If the slope calculated from the two last estimates is smaller than an empirically adjusted criterion of 0.1, the last estimate is considered to be valid. A second criterion to judge the validity of the estimate is to monitor the ratio between the energy of the fitted noise and the energy in the fittet exponential decay calculated over the duration of the current $T60$-time estimate:

$$\frac{\sum^{T60} A_{noise}^2}{\sum^{T60} \left(A_{exp} \exp(-\tau t)\right)^2} = \frac{N}{S} \,. \qquad (8)$$

Again, an empirically adjusted criterion of $\frac{N}{S} < 0.25$ has to be met in order to judge the estimate as valid. If both criterions are met, a valid $T60$-time estimate was calculated by the algorithm.
The means of the valid $T60$-time estimates are plotted in Fig. 5 as a function of the real $T60$ times. The left panel shows the results for the artificial IR setup and the right panel for the real IR setup. The numbers indicate the percentage of $T60$-time estimates which satisfied both validity criterions. Apparently, a lower limit for the estimated $T60$ times exists at about 200 ms for small real $T60$ times. For longer real $T60$ times, the estimates match very well. The number of valid $T60$ times decreases since longer real $T60$ times need longer window duration for a proper estimation. The calculation time for a valid estimate is about ten times the real $T60$ time: the best window duration is about two times the real $T60$ time and the averaging time is five times the window length. Although the computation time for the very accurate $T60$-time estimate appears quite long, the successive prolonging of the window duration in the algorithm allows an early estimation of the lowest possible value for the currently observed $T60$ time: The longer the actual window duration is, the longer the $T60$ time will be.

Autocorrelation

For the autocorrelation feature, the same sound material and paramters as for the cepstral mean feature were used (see above).
The means of 200 $T60$-time estimates per window and impulse response of the articicial IR setup are plotted in Figure 6, comparable to Figure 4. Comparable to

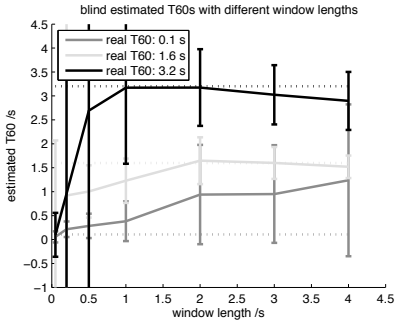

Figure 6: Autocorrelation: The estimated $T60$ times as means with standard deviations of 200 estimations per window and impulse response of the articicial IR setup (solid lines). The real $T60$ times are indicated as dotted lines of the same color.

the cepstral mean feature, the estimated $T60$ times of the autocorrelation feature asymptote against the real $T60$, though the deviations are much higher here than in case of the cepstral mean feature. The prolonging of the analysis window duration was again used and valid estimates were derived when the same slope and $\frac{N}{S}$ criteria as in case of the cepstral mean feature were met. The results for the valid $T60$-time estimates are shown in Figure 7. The results are similar to those from the cepstral mean. Again, there is a lower limit at about 200 ms for the $T60$-time estimates. Above 200 ms the means of estimated $T60$ times are matching the real ones well, though the deviations are larger than those of cepstral mean. The number of valid $T60$ times decreases heavily for all impulse responses.

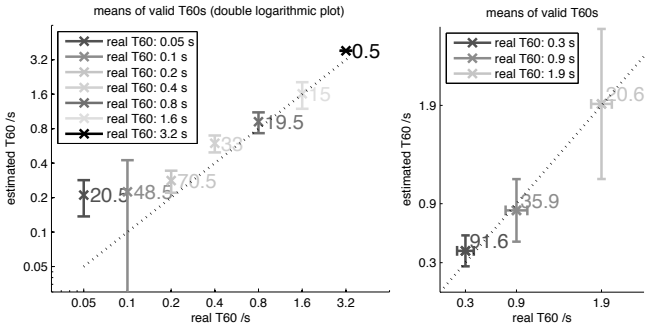

Figure 7: Autocorrelation: Means and standard deviations of valid $T60$-time estimates for the different impulse responses. The numbers show the percentage of valid $T60$-time estimates in relation to all estimates. Left panel: artificial IR setup, 200 estimations per impulse response; right panel: real IR setup, 320 estimations per impulse response group.

Speech to Reverberation modulation energy ratio (SRMR)

In Figure 8 the means and standard deviations of SRMRs are plotted.
The left panel shows the results for the artificial IR setup.

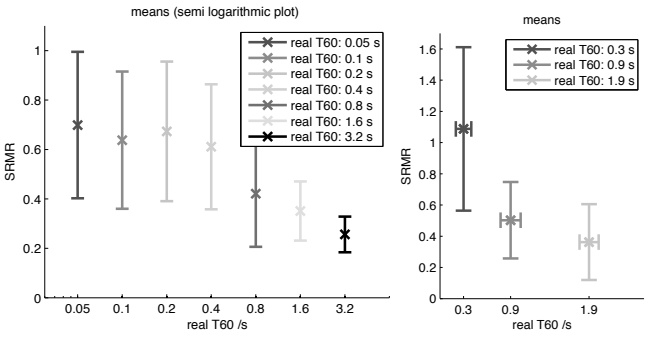

Figure 8: Means and standard deviations of calculated SRMRs per impulse response over the real $T60$ times. Left panel: artificial IR setup, 200 estimations per impulse response; right panel: real IR setup, 320 estimations per impulse response group.

It is obvious that the SRMRs between 50 and 400 ms are nearly equal and that SRMRs decrease beyond about 400 ms real $T60$ time. The large standard deviations indicate that even a meaningful classification in rough $T60$-time categories would fail without averaging over a large number of SRMRs.

Conclusions

Three different methods for the estimation of the reverberation time $T60$ were presented. It was shown that for the cepstral mean and the autocorrelation feature an estimation of the $T60$ time via the $\frac{N}{S}$ and slope criteria is possible with very good accuracy above about 200 ms. The lower limit of estimated $T60$ times at about 200 ms is most likely related to the statistical features of speech. Both methods assume that the speech signal is statistically independent in successive time windows which is not the case. Shorter $T60$ times could be only estimated with a input signal of significantly shorter correlation duration like white Gaussian noise. Another observation is that the number of valid $T60$-time estimates drops towards longer real $T60$ times with the current choice of the longest analysis window duration of 4 s, particularly for the autocorrelation feature. The use of even longer analysis window duration seems not feasible with the practical application in mind. The calculation times that where achieved are about 10 times the $T60$ time (window length $= 2 \cdot T60$, averaging time $= 5\cdot$ window length). Nevertheless an early classification into short and long T60 times is possible by monitoring the active window duration in the algortihm: The larger the active window (even if the $T60$ time is not valid) the longer the $T60$ time.
For the SRMR feature, the reliable results from [7] could not be reproduced. By averaging over some SRMRs or modulation spectrograms this feature might, however, be usefull in combination with the cepstral mean or autocorrelation feature.
In the next step all three features are combined in a classifier with a gaussian mixture model (GMM) for robustness.

Acknowledgements

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